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 Using purchasing power parities (Summers and Heston data) and also official exchange rates (World Bank data)

'orld Bank Data	P Ratio of USA to Cap country	4       4       6
≥	GD	4 0.00 0.00 0.00 0.00 0.00 0.00 0.00 0.
	AVG ROG 0-92	-0.24% 1.129% 0.90% 1.45% 1.45% 1.54% 0.21% 0.22% 0.22% 0.22% 0.22% 0.22% 0.22% 0.22% 0.22% 0.22% 0.22% 0.22% 0.28% 0.28% 0.28%
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l Bank ta	Ratio of USA to Country	88 844 10721 10721 10721 10729 1074 107200 10720000000000
World Da	GDP Per Cap	750054 80010 800000 800000 800000 800000 800000000
p e	Avg ROG 0-92	2.447% 2.46% 0.84% 1.0% 1.0% 2.75% 2.138% 0.118% 0.118% 0.118% 0.118% 0.118% 0.118% 0.118% 0.127% 0.82% 0.82%
Su <sup></sup> ers a Heston Da	Ratio of USA to Country	4444444444444 000 000 000 000 000 000 0
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Ben-David, Dan, Free Trade and Economic Growth, MIT Press, forthcoming. Sources of Data: Summers, Robert and Alan Heston (1995), "The Penn World Table (Mark 5.)" World Bank (1994), World Tables, Source of Table: CD-ROM



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